## In the claims:

1. (original) A method for performing time and frequency SNR dependent weighting in

speech recognition comprising the steps of:

for each speech frame t estimating the SNR to get time and frequency SNR information  $\eta_{i,f;}$ 

calculating the time and frequency weighting to get  $\gamma_{t,f}$ ;

performing the back and forth weighted time varying DCT transformation matrix computation  $MG_tM^{-1}$  to get  $T_t$ ;

providing the transformation matrix computation  $T_t$  and the original MFCC feature  $o_t$  that contains the information about the SNR to a recognizer including the Viterbi decoding; and performing weighted Viterbi recognition  $b_i(o_t)$ .

2. (original) The method of claim1 wherein  $\gamma_{t,f} = \frac{\sqrt{\eta_{t,f}}}{1 + \sqrt{\eta_{t,f}}}$ ,

which guarantees that  $\gamma_{t,f}$  is equal to 0 when  $\eta_{t,f}=0$  and  $\gamma_{t,f}$  approaches 1 when  $\eta_{t,f}$  is large.

3. (original) A method for performing time and frequency SNR dependent weighting in speech recognition comprising the steps of:

for each period t estimating the SNR to get time and frequency SNR information  $\eta_{i,j;}$ ; calculating the time and frequency weighting to get  $\gamma_{i,j;}$ 

performing the back and forth weighted time varying DCT transformation matrix computation  $MG_tM^{\text{-}1}$  to get  $T_t$ ;

providing the transformation matrix computation  $T_t$  and the original MFCC feature  $o_t$  that contains the information about the SNR to a recognizer including the Viterbi decoding; and performing weighted Viterbi recognition  $b_i(o_t)$ .

- 4. (original) The method of claim 3 wherein said estimating step is a pronunciation probability estimation step.
- 5. (original) The method of claim 3 wherein said estimating step is a transmission over a noisy communication channel reliability estimation.
- 6. (original) The method of claim 3 wherein  $\gamma_{t,f} = \frac{\sqrt{\eta_{t,f}}}{1 + \sqrt{\eta_{t,f}}}$

which guarantees that  $\gamma_{t,f}$  is equal to 0 when  $\eta_{t,f}=0$  and  $\gamma_{t,f}$  approaches 1 when  $\eta_{t,f}$  is large.